# Energy-Efficiency and Security in Hardware-Constrained Wireless Communications

### Elza Erkip

New York University

BalkanCom 2024

June 4, 2024





- ECE Department, NYU Tandon School of Engineering.
- Member of NYU WIRELESS.



#### Theoretical foundations and practice oriented applications:

- Wireless and networking.
- Security and privacy.
- Compression.





Abbas Khalili



Sundeep Rangan



Serhat Bakirtas



Jim Buckwalter



Matthieu Bloch



Ozlem Yildiz



Hamed Rahmani

- 5G: MmWave frequencies.
- NextG: Upper mid-band.



S. Kang et al., "Cellular Wireless Networks in the Upper Mid-Band," IEEE Open Journal of the Communications Society, 2024.

- **•** Opportunities
	- Wide bandwidth.
	- High data rates.

### **•** Opportunities

- Wide bandwidth.
- High data rates.
- **•** Challenges:
	- Share spectrum with incumbents.
	- $\Rightarrow$  High power consumption.
		- Large antenna arrays.
		- Wide bandwidh.
- Disaggragated radio access and core network.
- **•** Global supply chain.



#### ⇒ Detect and mitigate hardware Trojans in NextG transceivers.



# This Talk

- Information and communication theory incorporating hardware constraints.
- Approach:
	- Start with abstract formulation, information theoretic bounds.
	- Incorporate/explore practical constraints.
	- Provide design guidelines.

# This Talk

- Information and communication theory incorporating hardware constraints.
- Approach:
	- Start with abstract formulation, information theoretic bounds.
	- Incorporate/explore practical constraints.
	- Provide design guidelines.
- (1) How do we manage power consumption in NextG networks?
	- Low resolution quantization.
		- Receiver: Analog to digital conversion (ADC).
		- Transmitter: Digital to analog conversion (DAC).
	- Other RF components.

# This Talk

- Information and communication theory incorporating hardware constraints.
- Approach:
	- Start with abstract formulation, information theoretic bounds.
	- Incorporate/explore practical constraints.
	- Provide design guidelines.
- (1) How do we manage power consumption in NextG networks?
	- Low resolution quantization.
		- Receiver: Analog to digital conversion (ADC).
		- Transmitter: Digital to analog conversion (DAC).
	- Other RF components.
- $(2)$  How do we mitigate the impact of hardware Trojans in NextG networks?
	- Covert communications by a Trojan.
	- Impact of pilot scaling attacks.

(1) How do we manage power consumption in NextG networks?

- Low resolution quantization.
	- Receiver: Analog to digital conversion (ADC).
	- Transmitter: Digital to analog conversion (DAC).
- Other RF components.
- $(2)$  How do we mitigate the impact of hardware Trojans in NextG networks?
	- Covert communications by a Trojan.
	- Impact of pilot scaling attacks.
- **Classical MIMO receiver.** 
	- Fully digital.
	- High resolution ADC.
- What about NextG?

# Fully Digital Receiver



S. Dutta et.al., "A Case for Digital Beamforming at mmWave," IEEE TW, 2020.

- $\bullet$  One ADC per antenna,  $N_{RX}$  antennas
- NextG systems use large number of transmit and receive antennas
- $\Rightarrow$  Linear power consumption with  $N_{RX}$ .



B. Murmann, "ADC Performance Survey 1997-2017."

- $P/f_s = \text{FoM} \times 2^n$ 
	- $\bullet$   $f_s$ : Sampling frequency.
	- FoM : Figure of merit.
	- $\bullet$  n : ADC resolution.

- $\Rightarrow$  Exponential power consumption with resolution, b.
- $\Rightarrow$  Linear power consumption with bandwidth,  $f_s$ .



B. Murmann, "ADC Performance Survey 1997-2017."

- $P/f_s = \text{FoM} \times 2^n$ 
	- $\bullet$   $f_s$ : Sampling frequency.
	- FoM : Figure of merit.
	- $\bullet$  n : ADC resolution.

- $\Rightarrow$  Exponential power consumption with resolution, b.
- $\Rightarrow$  Linear power consumption with bandwidth,  $f_s$ .
- ⇒ May need low resolution ADCs and/or receiver architectures different than fully digital.



S. Dutta et.al., "A Case for Digital Beamforming at mmWave," IEEE TW, 2020.

- Analog receiver: One ADC.
- Hybrid receiver.
- How do the power consumption of different architectures compare?



S. Dutta et.al., "A Case for Digital Beamforming at mmWave," IEEE TW, 2020.

- Several papers on analog/hybrid/digital receivers.
- We present an information theoretic formulation.

MIMO system with a given (small) number of one-bit ADCs:

- **1** What is the maximum achievable rate?
- 2 Which receiver achieves this rate?



- $\bullet$  N<sub>r</sub>: Number of receiver antennas.
- $\bullet$  N<sub>q</sub> : Number of quantizers.
- **V** : Analog combiner matrix  $(N_a \times N_r)$ .
- t : Threshold vector.
- $s = sign(Vy + t)$ : Quantized signal.



- $\bullet$   $N_r$ : Number of receiver antennas.
- $\bullet$  N<sub>q</sub> : Number of quantizers.
- **V** : Analog combiner matrix  $(N_a \times N_r)$ .
- t : Threshold vector.
- $s = sign(Vy + t)$ : Quantized signal.
- $\bullet$   $C_{\text{OHR}}$ : For a given  $N_a$ , maximum achievable rate, maximized over all input distributions, t, and V.

## Example: MIMO One-shot

- $N_t = N_r = 2$  and  $N_q = 4$ .
- Each ADC corresponds to a hyperplane partitioning the signal space of dimension  $N_r$ .



[Khalili et. al, ISIT'18], [Khalili et. al., TCOM'22].

• High SNR capacity: Log of maximum number of regions

$$
\log \left( \sum_{k=0}^{\text{rank}} \binom{N_q}{k} \right) \le C_{\text{OHR}} \le \log \left( \sum_{k=0}^{N_r} \binom{N_q}{k} \right)
$$

 $\Rightarrow$  When  $N_q \leq N_r \Rightarrow C$  grows linearly with  $N_q$  $\Rightarrow$  When  $N_q > N_r \Rightarrow C$  grows logarithmically with  $N_q$ 

 $\bullet$  Does not always achieve  $N_a$  bits per channel-use

Question: Can we increase the signal dimension and the number of hyperplanes without increasing the number antennas or ADCs?

## Example: Proposed Blockwise Receiver

SISO channel:

• Analog block length  $\ell = 2$ 

• 
$$
N_t = N_r = 1
$$
, and  $N_q = 2$ 





## Example: Proposed Blockwise Receiver

SISO channel:

• Analog block length  $\ell = 2$ 

• 
$$
N_t = N_r = 1
$$
, and  $N_q = 2$ 





## Example: Proposed Blockwise Receiver

SISO channel:

• Analog block length  $\ell = 2$ 

$$
\bullet \ \ N_t = N_r = 1, \text{ and } N_q = 2
$$



• Without joint processing  $C = \log 3 = 1.58$ .

- Proposed blockwise analog processing virtually preserves the one-bit ADCs and uses them at once.
- For analog processing block length of  $\ell = 2$ :
	- Virtual number of receive antennas:  $2N_r$ .
	- Virtual number of ADCs:  $2N_q$ .
- For general  $\ell$ :

$$
\frac{1}{\ell}\log\left(\sum_{k=0}^{\ell\text{rank}}\binom{\ell N_q}{k}\right)\leq C_{\text{BHR}}^{\mathsf{High~SNR}}\leq \frac{1}{\ell}\log\left(\sum_{k=0}^{\ell N_r}\binom{\ell N_q}{k}\right)
$$

- Geometric approach to characterize the high SNR capacity of receivers with low resolution ADCs.
- Two new receiver architectures that improve the high SNR rate:
	- Blockwise hybrid receiver.
	- Adaptive threshold receiver (optimal performance).

[Khalili, Shirani, Erkip, Eldar, TCOM'22]

- Geometric approach to characterize the high SNR capacity of receivers with low resolution ADCs.
- Two new receiver architectures that improve the high SNR rate:
	- Blockwise hybrid receiver.
	- Adaptive threshold receiver (optimal performance).

[Khalili, Shirani, Erkip, Eldar, TCOM'22]

• What about optimized design/performance at finite SNR?

• High SNR capacity.



- **Finite SNR.** 
	- Optimal input constellation and hyperplane placement.
	- Deep learning based solution.

# SIMO with Low Resolution ADCs

[Khalili, Erkip, Asilomar'22]



Transmitter:

- $\bullet$   $x$ : Transmitted symbol.
- $\bullet$   $P_X(\cdot)$ : Input probability distribution.
- $\bullet$  X: Modulator.

Receiver:

- W : Linear analog combiner.
- $Q(\cdot)$ : b-bit ADC.
- **t:** ADC thresholds.

[Khalili, Erkip, Asilomar'22]



#### Objective:

Under average transmit power  $P$ , maximize achievable rate

$$
\max_{P_X(x), \mathcal{X}, \mathbf{W}, \mathbf{t}, \mathbf{Q}(\cdot)} I(X; Z)
$$
\nsubject to 
$$
\mathbb{E}|X|^2 \leq P
$$

## Achievable Rates



• 
$$
N_t = N_r = 1, N_q = 4.
$$

- $b$ : No. of bits per quantizer.
- $\bullet$  *M*: Modulation order.
- $\Rightarrow$  Optimal high SNR rate.
- ⇒ Near Shannon capacity at low and intermediate SNRs.

## Learned Constellations



•  $N_q = 4$  quantizers, each  $b = 1$  bits.

- Symmetric constellations.
- Modulation order increases as SNR is increased.

(1) How do we manage power consumption in NextG networks?

- Low resolution quantization.
	- Receiver: Analog to digital conversion (ADC).
	- Transmitter: Digital to analog conversion (DAC).
- Other RF components.
- $(2)$  How do we mitigate the impact of hardware Trojans in NextG networks?
	- Covert communications by a Trojan.
	- Impact of pilot scaling attacks.


S. Dutta et.al., "A Case for Digital Beamforming at mmWave," IEEE TW, 2020.

![](_page_37_Picture_16.jpeg)

S. Dutta et.al., "A Case for Digital Beamforming at mmWave," IEEE TW, 2020.

# Effect of Low-resolution DACs

- **•** Rate loss.
- Spectral contamination: Quantization noise leaks into adjacent bands.

![](_page_38_Figure_3.jpeg)

PSD of the linear modulator used for transmitting a 400 MHz channel centered at 28 GHz in a 5G NR system sample rate  $f_{\text{samp}} = 983$  Ms/s. The PSD is shown for various number of bits (b) in the DAC.

## OFDM Transceiver with Low Resolution DAC and ADC

![](_page_39_Figure_1.jpeg)

[Dutta, Khalili, Erkip, Rangan, TCOM'23]

- SISO channel
- $z \in \mathbb{C}^N$ : Vector of transmit symbols (e.g., frequency domain)<br> $\mathbf{E} \in \mathbb{C}^{N \times N}$ : Unitary matrix (e.g., EET matrix)
- $\mathbf{F} \in \mathbb{C}^{N \times N}$ : Unitary matrix (e.g., FFT matrix)
- $u = F<sup>H</sup>z$ : Modulated signal (e.g., time domain)
- $\bullet$   $\mathbf{Q}_{\text{tv}}$ ,  $\mathbf{Q}_{\text{rv}}$ : DAC and ADC at the transmitter and receiver side
- $\bullet$  H(x,  $\xi$ ): Mapping representing the channel
- $\bullet$   $\xi$ : Channel noise independent of the input

### Spectral Power Distribution

![](_page_40_Figure_1.jpeg)

- r: Output of the spectrum analyzer (e.g., frequency domain) • r has to conform to the spectrum mask
- Precise linear additive noise model to capture the effect of DAC and ADC.

$$
\bullet \ \ r = \alpha_{\text{tx}} z + w_{\text{tx}}, \quad w_{\text{tx}} \sim \mathcal{CN}(0, \tau_{\text{tx}} \overline{P})
$$

\n- $$
\widehat{z} = \alpha_{rx} z + w_{rx}, \quad w_{rx} \sim \mathcal{CN}(0, \tau_{rx} \overline{P}),
$$
\n- Validity proved in the wideband regime.
\n

Adjacent carrier leakage ratio (ACLR):

 $ACLR = 10 \log_{10}(\nu_1/\nu_2)$ .

•  $\nu_1$ : Transmitted power in the main sub-band •  $\nu_2$ : Leaked power into the second sub-band

## Accuracy of the Linear Model

![](_page_42_Figure_1.jpeg)

ACLR with a finite DAC resolution (b) for a 200 MHz 3GPP NR OFDM transmitter compared with the proposed Linear model.

• Theoretical model accurately predicts the ACLR.

#### High-SNR Rate versus ACLR

![](_page_43_Figure_1.jpeg)

Solid lines show the upper bounds on the achievable rate and the dashed lines show the achievable rate predicted by the linear model.

#### MIMO: Spatial Power Distribution

[Khalili, Erkip, Rangan, ISIT'22]

- Transmit array directed at  $\pi/4$ :  $\mathbf{P}_1 = \frac{1}{N}$  $\frac{1}{N_t}$ e $(\frac{\pi}{4}$  $\frac{\pi}{4}$ )e( $\frac{\pi}{4}$  $\frac{\pi}{4}$ )<sup>H</sup>
- Beamforming gain at direction  $\psi$ :  $(\mathbf{e}(\psi)$ <sup>H</sup> $\mathbf{S}_1\mathbf{e}(\psi))$

![](_page_44_Figure_4.jpeg)

- Linear model rigorously captures the effect of low resolution quantization on
	- Achievable rate of the system.
	- Achievable power spectrum, including out of band (OOB) emissions.
	- Spatial power distribution.
- Low resolution DAC ⇒ OOB emission cannot be reduced below a threshold.

(1) How do we manage power consumption in NextG networks?

- Low resolution quantization.
	- Receiver: Analog to digital conversion (ADC).
	- Transmitter: Digital to analog conversion (DAC).
- Other RF components.
- $(2)$  How do we mitigate the impact of hardware Trojans in NextG networks?
	- Covert communications by a Trojan.
	- Impact of pilot scaling attacks.

# Fully Digital Receiver

![](_page_47_Figure_1.jpeg)

Many components, e.g. mixer, are nonlinear.

- "Knobs," e.g. LO power, to control the linear range.
- $\bullet$  Higher power  $\Rightarrow$  larger linear range.

#### Extension of the Linear Noise Model

![](_page_48_Figure_1.jpeg)

#### Extension of the Linear Noise Model

![](_page_49_Figure_1.jpeg)

[Skrimponis, Hosseinzadeh, Khalili, Rodwell, Buckwalter, Erkip, Rangan, IEEE Access'21]

- End-to-end model using [Dutta, Khalili, Erkip, Rangan, TCOM'23].
- Validated in practical systems using circuit and system level simulations.
	- Various design options for key RF components including the LNA, mixer, LO and ADC in 140 GHz.
- Allows for power optimized designs for the same achievable rate.

![](_page_50_Picture_27.jpeg)

- Power consumption estimates (in mW) for the baseline and two optimized designs.
- 70-80% power savings.

(1) How do we manage power consumption in NextG networks?

- Low resolution quantization.
	- Receiver: Analog to digital conversion (ADC).
	- Transmitter: Digital to analog conversion (DAC).
- Other RF components.
- (2) How do we mitigate the impact of hardware Trojans in NextG networks?
	- Covert communications by a Trojan.
	- Impact of pilot scaling attacks.

#### Transmitter Hardware Trojan

![](_page_52_Picture_1.jpeg)

![](_page_53_Picture_1.jpeg)

- Tom can disrupt Alice-Willie communication by jamming.
- Tom may have access to Alice's information, channel state etc.

![](_page_54_Figure_1.jpeg)

- Tom can also try to leak information by covertly communicating with Eve.
- Willie could act as the warden, trying to detect the covert communication.

# Covert Communications: An Introduction

![](_page_55_Figure_1.jpeg)

- Tom's goal: Transmit to Eve reliably and covertly.
	- Covert: Deniable, undetectable, low probability of detection.
- Willie's goal: Detect if there is communication between Tom and Eve.

![](_page_56_Figure_1.jpeg)

- Tom's goal: Transmit to Eve reliably and securely.
- Willie's goal: Decode Tom's message.
	- Willie is already aware of the communication.

# Covert Communication: Willie's Hypothesis Test

![](_page_57_Figure_1.jpeg)

#### Hypotheses:

- $H_0$ : Only noise.
- $\bullet$   $H_1$ : Noise + Tom-Eve communication.
- Metrics of Interest:
	- $\bullet \mathbb{P}_F$ : Willie's type-I error / false alarm probability.
	- $\bullet$   $\mathbb{P}_M$ : Willie's type-II error / misdetection probability.

• Blind Test: Independent of the his received signal,  $\begin{bmatrix} 1 & \mathbb{R}^n, & \$  $H_0,\;\;$  with probability  $p$  $H_1$ , with probability  $1-p$ 

 $\bullet \mathbb{P}_F + \mathbb{P}_M = (1-p) + p = 1$  is always achievable.

• Covertness Criterion:  $\mathbb{P}_F + \mathbb{P}_M > 1 - \delta$  for some  $\delta > 0$ .

- Willie's test needs to be close to a blind test.
- This criterion does not tell anything about Willie's actual decision!
- It tells us that Willie's decision is not credibly better than a blind one.

[Bash et al., JSAC '13], [Bloch, Trans. IT '16], . . .

- Willie has all the channel state information (CSI) and the channel statistics.
	- Discrete, AWGN, block fading, MIMO etc.
- The only uncertainty is the *realization* of the noise.
- Main Result: Tom can only send  $\mathcal{O}(\sqrt{n})$  bits reliably and covertly in  $n$  channel uses.
	- Known as the square-root law.
	- Zero covert rate.

[Bash et al., JSAC '13], [Bloch, Trans. IT '16], . . .

- Willie has all the channel state information (CSI) and the channel statistics.
	- Discrete, AWGN, block fading, MIMO etc.
- The only uncertainty is the realization of the noise.
- Main Result: Tom can only send  $\mathcal{O}(\sqrt{n})$  bits reliably and covertly in  $n$  channel uses.
	- Known as the **square-root law**.
	- Zero covert rate.
- Additional sources of uncertainty may improve covert rate.
	- Channel gain, noise variance, crossover probability, channel state, timing of the communication etc.

![](_page_61_Figure_1.jpeg)

![](_page_62_Figure_1.jpeg)

Can Tom inject extra uncertainty by controlling the channel estimation phase?

![](_page_63_Figure_1.jpeg)

- Can Tom inject extra uncertainty by controlling the channel estimation phase?
- Tom needs to communicate covertly in the presence of Alice-Willie communication.

 $\bullet$  Tamper with Alice's pilot sequence  $s_A$  covertly to corrupt Willie's channel estimate  $\widehat{h}_W$ .

• Scaling pilot corruption:  $s_{AT} = (1 + \epsilon)s_A$ .

<sup>2</sup> Prey on Willie's estimation error to communicate **covertly** with Eve.

### Channel Estimation Phase

![](_page_65_Figure_1.jpeg)

### Communication Phase

![](_page_66_Figure_1.jpeg)

- **1** In the channel estimation phase, try to detect whether there is pilot scaling or not.
	- If the test is credibly better than a blind test, use its output as the decision.

Note: If pilot scaling is detected, communication phase doesn't take place.

- **1** In the channel estimation phase, try to detect whether there is pilot scaling or not.
	- If the test is credibly better than a blind test, use its output as the decision.

Note: If pilot scaling is detected, communication phase doesn't take place.

- If the test is comparable to a blind test, assume  $H_0$ .
- $\bullet$  Estimate the channel  $\widehat{h}_W$  and proceed with the communication phase.
- **1** In the channel estimation phase, try to detect whether there is pilot scaling or not.
	- If the test is credibly better than a blind test, use its output as the decision.

Note: If pilot scaling is detected, communication phase doesn't take place.

- If the test is comparable to a blind test, assume  $H_0$ .
- $\bullet$  Estimate the channel  $\widehat{h}_W$  and proceed with the communication phase.

#### **2** In the communication phase,

- First decode Alice's signal and remove from the received signal.
- Effective interference at Alice:  $(h_W \widehat{h}_W) x_A + h_W x_T$ .
- Then try to detect whether Tom is communicating with Eve or not.
- We say Tom remains covert if
	- **1** Willie fails to credibly detect Tom's pilot scaling attack in the channel estimation phase.
	- <sup>2</sup> Willie also fails to credibly detect Tom's communication with Eve in the communication phase.
	- **3** Tom's actions do not disrupt the legitimate Alice-Willie link. Note: Tom exploits the link margin.
- We say Tom remains covert if
	- **1** Willie fails to credibly detect Tom's pilot scaling attack in the channel estimation phase.
	- <sup>2</sup> Willie also fails to credibly detect Tom's communication with Eve in the communication phase.
	- **3** Tom's actions do not disrupt the legitimate Alice-Willie link. Note: Tom exploits the link margin.
- **Tom can control:** 
	- Pilot scaling  $\epsilon$ .
	- His transmit power  $\Lambda_T$ .
# Main Result

Positive covert rates are possible by pilot scaling.



- Effective interference power at Willie:  $\epsilon^2 |h_W|^2 \Lambda_A + |h_W|^2 \Lambda_T$ .
- $\bullet$  High  $\epsilon$  helps covertness by increasing channel estimation error, but also increases effective interference at Willie.

- (1) Power consumption.
	- Low resolution ADC.
		- Optimal transceiver design.
		- **Learned modulator and receiver.**

- (1) Power consumption.
	- **Q** Low resolution ADC.
		- Optimal transceiver design.
		- **Learned modulator and receiver.**
	- Low resolution DAC/ADC.
		- Accurate linear model.
		- Spectral mask constraints, spatial power distribution.

- (1) Power consumption.
	- **Q** Low resolution ADC.
		- Optimal transceiver design.
		- **Learned modulator and receiver.**
	- Low resolution DAC/ADC.
		- Accurate linear model.
		- Spectral mask constraints, spatial power distribution.
	- $\bullet$  Theory  $+$  RF design can lead to substantial power savings in mmWave and THz.

- (1) Power consumption.
	- **Q** Low resolution ADC.
		- Optimal transceiver design.
		- **Learned modulator and receiver.**
	- Low resolution DAC/ADC.
		- Accurate linear model.
		- Spectral mask constraints, spatial power distribution.
	- $\bullet$  Theory + RF design can lead to substantial power savings in mmWave and THz.
- (2) Hardware Trojans.
	- Pilot scaling attacks and impact on Trojan covertness.

## References

- [1] A. Khalili, S. Rini, L. Barletta, E. Erkip, and Y. C. Eldar, "On MIMO Channel Capacity with Output Quantization Constraints." IEEE International Symposium on Information Theory (ISIT), 2018.
- [2] A. Khalili, F. Shirani, E. Erkip, and Y. C. Eldar, "Tradeoff Between Delay and High SNR Capacity in Quantized MIMO Systems," ISIT, 2019.
- [3] A. Khalili, F. Shirani, E. Erkip, and Y. C. Eldar, "On Multiterminal Communication over MIMO Channels with One-bit ADCs at the Receiver," ISIT, 2019.
- [4] A. Khalili, S. Shahsavari, F. Shirani, E. Erkip, and Y. C. Eldar, "On Throughput of Millimeter Wave MIMO Systems with Low Resolution ADCs," IEEE International conference on Acoustics, Speech and Signal Processing (ICASSP), 2020.
- [5] S. Dutta, A. Khalili, E. Erkip, and S. Rangan, "Capacity Bounds for Communication Systems with Quantization and Spectral Constraints," ISIT, 2020.
- [6] P. Skrimponis, N. Hosseinzadeh, A. Khalili, M. Rodwell, J. Buckwalter, E. Erkip, S. Rangan, "Towards Energy Efficient Mobile Wireless Receivers Above 100 GHz," in IEEE Access, vol. 9, pp. 20704-20716, 2021.
- [7] A. Khalili, F. Shirani, E. Erkip and Y. C. Eldar, "MIMO Networks With One-Bit ADCs: Receiver Design and Communication Strategies," IEEE Transactions on Communications, vol. 70, no. 3, pp. 1580-1594, March 2022.
- [8] A. Khalili, E. Erkip and S. Rangan, "Quantized MIMO: Channel Capacity and Spectrospatial Power Distribution," ISIT, 2022.
- [9] A. Khalili, E. Erkip and S. Rangan, "Deep Learning Based Modulation for Quantized SIMO Communications," Asilomar Conference on Signals, Systems and Computers, 2022.
- [10] S. Dutta, A. Khalili, E. Erkip and S. Rangan, "Capacity Bounds and Spectral Constraints for Transceivers With Finite Resolution Quantizers," IEEE Transactions on Communications, vol. 71, no. 10, pp. 5756-5768, Oct. 2023.
- [11] S. Bakirtas, M. R. Bloch, E. Erkip, "Pilot-Attacks Can Enable Positive-Rate Covert Communications of Wireless Hardware Trojans," in arXiv:2404.09922, 2024.